Examination Number

INTERMEDIATE CERTIFICATE EXAMINATION, 1978

MATHEMATICS - LOWER COURSE - PAPER I (150 marks)

THURSDAY, 8 JUNE - MORNING - 9.45 to 12.15

SECTION A (45 marks)

Attempt all questions. You should not spend more than 45 minutes on this section. Answer each question by writing one of (a), (b), (c), (d) in the box under each question number. If you wish to change an answer, cross out your first choice and write your new answer near the box. Mathematics tables may be obtained from the Superintendent.		
	THIS PAPER MUST BE ENCLOSED IN YOUR ANSWE	ER BOOK.
1.	$\frac{1}{2} + \frac{1}{3} + \frac{1}{6}$ is equal to	
	(a) $\frac{3}{11}$ (b) $\frac{5}{6}$ (c) $\frac{11}{12}$	(d) 1
2.	$\frac{12}{13}$ X $3\frac{1}{4}$ is equal to	
	(a) $4\frac{3}{13}$ (b) 4 (c) $3\frac{12}{13}$	(d) 3
3.	Taxes of $12\frac{1}{2}\%$ are charged on an article valued at £180. The ar	mount of tax charged is
	(a) £12·50 (b) £20·50 (c) £22·50	(d) £24·50
4.	Taking $\pi = \frac{22}{7}$, the surface enclosed by a circle has an area of $\frac{8}{7}$	$\frac{8}{7}$. Then r^2 is
	(a) 16 (b) 4 (c) $\frac{1}{4}$	(d) 1/16
5.	pqrs is a parallelogram and (p, s) is the image of (q, r) under a parallel to	rallel projection.
	(a) qr (b) pr (c) sq	(d) rs
6.	$A \parallel B$. The value of x is	100 A
	(a) 60 (b) 80 (c) 100 (d) 90	J∝° B
7.	K and L are two distinct lines which intersect at a point p , X Which one of the following is impossible ?	is a line such that $X \perp K$.
	(a) K , L , X form a triangle (b) $X \parallel L$	
	(c) X intersects L at p (d) $X \perp L$	

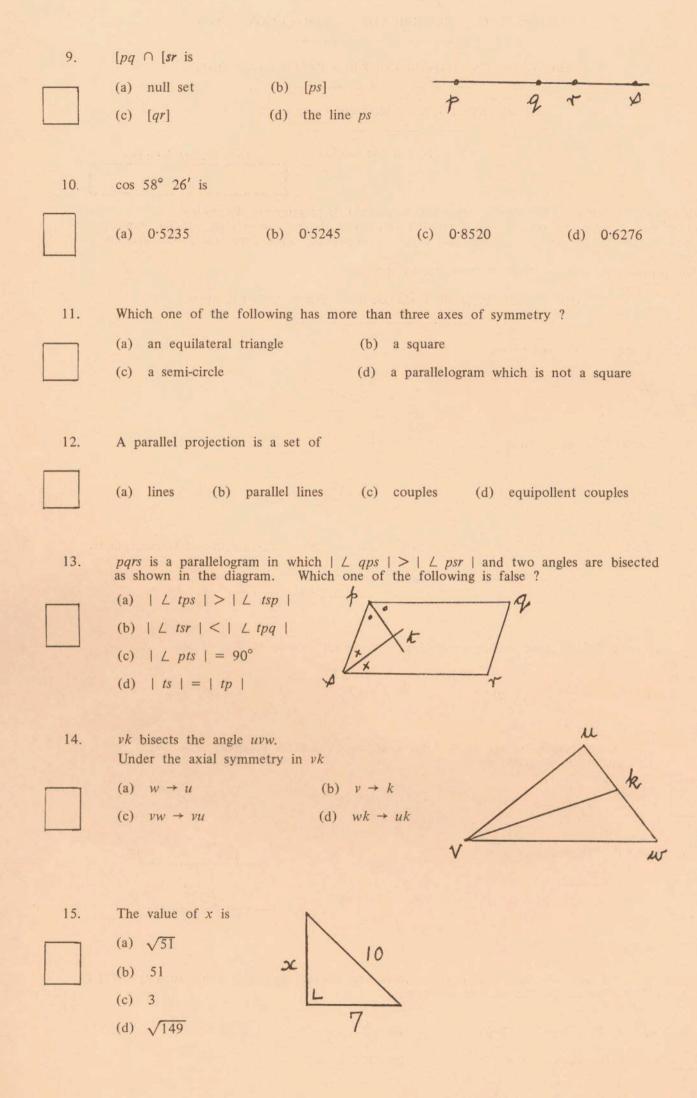
8. uvw is an isosceles triangle. Which one of the following could map the triangle onto itself?

(b) a central symmetry

(d) a parallel projection

(a) a translation (not the identity)

(c) an axial symmetry



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SECTION B (105 marks)

Attempt QUESTION 1 and THREE other questions

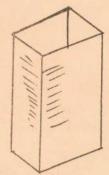
- 1. Use your tables, page 20 to page 27, or otherwise, to evaluate
 - (i) $(2 \cdot 49)^2$ and $(2 \cdot 49)^4$
 - (ii) $\frac{1}{\sqrt{10}}$, correct to two places of decimals.

If a = 136.9 and b = 55.9, verify that

$$\frac{1}{a-b} \neq \frac{1}{a} - \frac{1}{b}$$

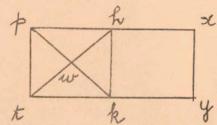
(25 marks)

- 2. The internal length, width and height of a rectangular box are in the ratio 2: 3: 5.
 - (i) If the length is 24 cm, find the width and the height.
 - (ii) Each edge of a cube is 3 cm long. Find how many of these cubes will fit into the above box so as to just fill it.
 - (iii) If larger cubes of side x cm long were used to fill the box, find the greatest value of x.



(20 marks)

- 3. phkt is a rectangle and its image under the axial symmetry in hk is the rectangle hxyk.
 - (a) Using the letters in the diagram, write down all the couples which are equipollent to (p,h).
 - (b) Name each of the following images:
 - (i) the image of Δpht under the central symmetry in w
 - (ii) the image of [pk] under the translation k_y^{\dagger}
 - (iii) the image of [pw] under the projection on ht parallel to hk.



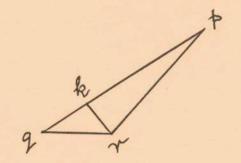
(c) Where is the centre of symmetry of the rectangle pxyt ?

(20 marks)

4. Prove that the measure of the exterior angle of a triangle equals the sum of the measures of the two interior opposite angles.

In the $\triangle pqr$, |pk| = |pr|

- (i) Prove $| \angle pkr | > | \angle pqr |$
- (ii) Prove $| \angle prq | > | \angle pqr |$



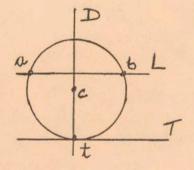
(25 marks)

5. Construct the $\triangle xyz$, given that |xy| = 12 cm, $|\angle zxy| = 70^{\circ}$, |yz| = 13 cm.

Construct, without proof, the incircle of the Δxyz . All construction lines must be clearly shown.

(25 marks)

- 6. Prove that the diameter of a circle which is perpendicular to a tangent contains the point of contact.
 - T is a tangent to a circle at t, and c is the centre of the circle. L is parallel to T and cuts the circle at a and b. Prove that the Δabt is isosceles.



(25 marks)

- 7. (a) Write $\frac{7}{12}$ as a decimal and hence use the tables to find the measure of an angle A such that $\sin A = \frac{7}{12}$.
 - (b) A ship is sailing in the direction East 36° 52' North at a speed of 16 km per hour. At noon it is due West of a lighthouse, k, and is then 16 km from it. At what time will the ship be directly North of K?